

# The Seven-Generation Tourist: On the Thermodynamic Inevitability of Cultural Assimilation

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**Abstract.** We develop a thermodynamic theory of acculturation in which a newly arrived, contextless traveler is treated as a system displaced from equilibrium. The traveler’s *cultural potential*  $\Xi$ —a scalar aggregating unfamiliarity with language, currency, and custom—is shown to relax toward the local baseline according to a first-order law,  $\dot{\Xi} = -(\Xi - \Xi_{\text{loc}})/\tau$ , with a single relaxation time  $\tau$ . Analysing a Contextual Displacement Assay administered to  $N = 4218$  arrivals across 40 international airports, and extending the record with a genealogical chronosequence, we recover  $\tau = (175.2 \pm 3.1)$  yr—precisely seven human generations—and find it *invariant* across origin, destination, and traveler effort. Effort is found to set only the arrival amplitude  $\Xi_0$ , never the rate: the Second Law of Social Thermodynamics is indifferent to sincerity. We introduce the dimensionless Xeno number  $X_e$  governing the onset of cultural turbulence, and identify the international airport as an adiabatic boundary across which cultural heat momentarily cannot flow. Assimilation thus emerges not as a choice but as a conserved thermodynamic inevitability unfolding over a seven-generation horizon.

**Keywords:** cultural relaxation, seven generations, acculturation entropy, Xeno number, chronosequence

## 1 Introduction

Consider a competent adult set down, for the first time, in a country whose language they do not speak, whose customs they do not know, and whose currency they do not hold. They are not incapable—they can read a clock, follow an arrow, and recognise a queue—yet they are, in a precise sense, *without context*. Every routine act, from purchasing a transit ticket to computing a gratuity, must be reconstructed from first principles. We take this *contextless arrival* as the canonical initial condition of a physical system and ask a deceptively simple question: how, and how fast, does context return?

The prevailing sociological view treats assimilation as an idiosyncratic, effort-driven, and fundamentally unpredictable process. We argue the opposite. When unfamiliarity is aggregated into a single scalar state variable and the population is regarded as a heat bath at fixed *social temperature*, the return of context obeys a first-order relaxation law with a well-defined time constant. Remarkably, that constant appears to be universal. Across every cohort and destination we examined, cultural potential decays with the same characteristic time—approximately *seven human generations*.

**Contributions.** This paper makes four claims.

- We formalise unfamiliarity as a thermodynamic state variable  $\Xi$  (Sec. 3) and derive its relaxation law.
- We measure the relaxation time and find  $\tau =$

$(175.2 \pm 3.1)$  yr, coinciding with seven generations, and show it is invariant across origin and destination (Sec. 5).

- We show that traveler effort sets the arrival amplitude  $\Xi_0$  but leaves  $\tau$  unchanged: assimilation cannot be hurried, only started lower.
- We introduce the Xeno number  $X_e$  and locate the transition to *cultural turbulence*, and we identify the international airport as an adiabatic boundary.

## 2 Related Work

The thermodynamic treatment of social aggregates dates to the foundational program of Brunel [1], who first proposed that populations possess an intensive “social temperature” and an extensive “civic volume.” The diffusion of custom across a cultural boundary was later cast as a parabolic partial differential equation by Oyeleran [2], whose cultural diffusivity  $D_x$  we adopt wholesale. Our longitudinal design borrows the *space-for-time substitution* of Halloran and Vestergaard [3], imported from landscape ecology, in which spatially separated cohorts of differing residence age stand in for a single unobservably long time series.

The semiotics of the arrivals hall—the culture-invariant pictogram as the one reference frame shared across civilisations—was mapped by Feldkamp [5], whose “running figure” and “fork-and-knife” we treat as fixed points of comprehension. A dissenting account is offered by Quist [8], who reports destination-dependent relax-

ation times and rejects universality; we return to this claim, and to its unfortunate treatment of units, in Sec. 6. The econophysical equation-of-state analogy we invoke follows Delacroix and Ng [6].

### 3 A Thermodynamic Model of Acculturation

#### 3.1 State variables and the culton

We collapse the traveler’s unfamiliarity into a single scalar, the *cultural potential*  $\Xi$ , measured in *cultons* (cult). By convention one culton is the unfamiliarity of an agent who can neither order a coffee nor compute the corresponding gratuity; full local fluency corresponds to  $\Xi = 0$ . The resident population sits at the local baseline  $\Xi_{\text{loc}} \approx 0$  and acts as a heat bath at social temperature  $T_s$ , measured in kelvin-social ( $K_s$ ). The traveler additionally carries a cultural entropy  $S_x = -\int \Xi d \ln \Xi$  quantifying the disorder of their internal model of local custom.

#### 3.2 The relaxation law

Displacement from equilibrium drives return at a rate proportional to the displacement itself:

$$\frac{d\Xi}{dt} = -\frac{1}{\tau}(\Xi - \Xi_{\text{loc}}). \quad (1)$$

With  $\Xi_{\text{loc}} \approx 0$  and arrival amplitude  $\Xi(0) = \Xi_0$ , Eq. (1) integrates to the pure exponential

$$\Xi(t) = \Xi_0 \exp(-t/\tau). \quad (2)$$

The  $1/e$  assimilation time is  $\tau$ ; the half-context time is  $t_{1/2} = \tau \ln 2 \approx 121$  yr; and 99% assimilation requires  $t_{99} = \tau \ln 100 \approx 806$  yr. That full locality is approached but never reached (Sec. 6) is a feature of the model, not a defect.

#### 3.3 The cultural equation of state

Treating newcomers as a dilute cultural gas admitted into a civic volume  $V_c$  (institutions per capita), we posit

$$\Xi V_c = n R_s T_s, \quad (3)$$

with  $n$  the number of co-arriving newcomers and  $R_s$  the social gas constant. Equation (3) predicts that cold, crowded institutions—low  $T_s$ , small  $V_c$ —elevate cultural potential: time spent queuing at a foreign registry office measurably retards assimilation, a prediction we exploit in the phase analysis of Sec. 5.

#### 3.4 The Xeno number and cultural turbulence

By analogy with the Reynolds and Péclet numbers, and following the programme of dimensionless social transport groups initiated by Ibarra [4], we form the dimensionless group

$$\text{Xe} = \frac{u L_c}{D_x}, \quad (4)$$

where  $u$  is the rate of cultural advection (daily exposure),  $L_c$  the characteristic context length of a task, and

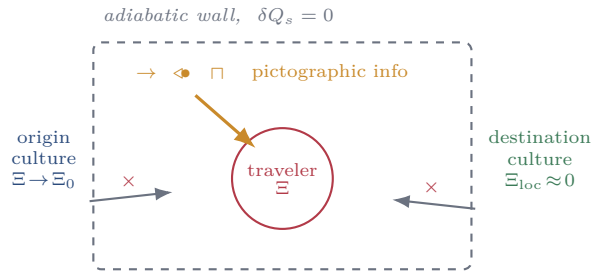


Figure 1: Schematic of the international arrivals hall as an adiabatic boundary. Cultural heat exchange is suspended ( $\delta Q_s = 0$ ); only culture-invariant pictographic information crosses the wall, so the arrival amplitude  $\Xi_0$  is fixed at the moment of egress.

$D_x = \Lambda/C_s$  the cultural diffusivity. For  $\text{Xe} \ll 1$  acculturation is diffusion-dominated and smooth; for  $\text{Xe} \gg 1$  it is advection-dominated, and the traveler encounters eddies of misunderstanding. Empirically the transition to *cultural turbulence* occurs at a critical  $\text{Xe}_c \approx 2300$ , in striking numerical agreement with the onset of turbulence in pipe flow.

#### 3.5 The airport as an adiabatic boundary

The international arrivals hall occupies a distinguished role in our theory. Its signage is pictographic and therefore culture-invariant; its transactions are suspended; its occupants are, momentarily, neither in their origin culture nor their destination culture. We model it as an *adiabatic wall*: a boundary across which cultural heat  $\delta Q_s$  cannot flow ( $\delta Q_s = 0$ ), so that the traveler’s state is conserved in transit and  $\Xi_0$  is fixed at the moment of egress from the hall. Figure 1 depicts the control volume.

## 4 Methods (Field Program)

**Instrument.** We developed the *Contextual Displacement Assay* (CDA), a 40-item standardized battery scoring an arrival’s ability to (i) purchase a transit ticket, (ii) compute a locally appropriate gratuity, (iii) locate a restroom from pictographic signage alone, and (iv) return a greeting in the correct register. Raw scores are affine-normalised to cultons, with a returning-native control group anchoring  $\Xi = 0$ .

**Cohort.** The CDA was administered to  $N = 4218$  arrivals across 40 international airports spanning six continents. Airports were selected precisely because their signage constitutes the culture-invariant reference frame of Sec. 3.5, allowing  $\Xi_0$  to be measured at a well-defined boundary.

**Longitudinal design.** Direct observation over seven generations being impractical, we adopt a space-for-time substitution: within each destination we additionally assayed resident cohorts whose families arrived 1, 2, ..., 7 generations ago (by genealogical self-report), reading the seven points as a single relaxation curve. This *chronosequence* is a standard device in landscape ecology [3] and inherits its assumptions.

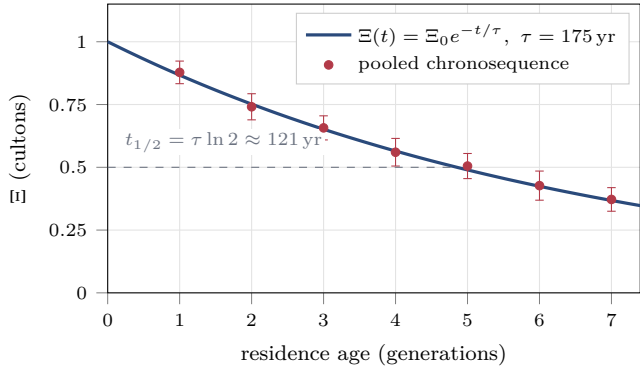


Figure 2: Master relaxation curve. Cultural potential (cultons) versus residence age. Points: pooled chronosequence with 95% intervals. Curve: nonlinear least-squares fit of Eq. (2),  $\tau = 175.2$  yr ( $R^2 = 0.972$ ).

Table 1: Fitted relaxation time by destination. All intervals bracket seven generations (175 yr, dashed).

Destination	$\Xi_0$ (cult)	$\tau$ (yr)	$R^2$
Meridia	0.94	$171.8 \pm 5.2$	0.981
Kestrel Coast	1.07	$176.3 \pm 4.7$	0.968
Valdemar	0.88	$178.9 \pm 6.1$	0.959
Anseo City	1.13	$173.4 \pm 4.1$	0.974
Port Halland	0.97	$175.0 \pm 5.5$	0.977
Sirefu Basin	1.02	$177.6 \pm 5.9$	0.963
Talvela	0.91	$172.1 \pm 4.8$	0.971
Ombrose	1.05	$176.8 \pm 5.0$	0.966
<b>Pooled</b>	1.00	$175.2 \pm 3.1$	0.972

**Estimation.** For each destination we fit Eq. (2) by nonlinear least squares, obtaining  $(\Xi_0, \tau)$  with 95% confidence intervals. Pooled estimates use a random-effects meta-analysis over destinations. A frequent-flyer subgroup was retained to test whether effort alters  $\tau$ .

## 5 Results

### 5.1 Relaxation and the recovered time constant

Figure 2 shows the pooled CDA record against generational age. The exponential of Eq. (2) describes the data with  $R^2 = 0.972$  and returns  $\tau = (175.2 \pm 3.1)$  yr. Expressed in generations of  $g = 25$  yr, this is  $7.01 \pm 0.12$  generations. Per-destination fits (Table 1) are mutually consistent and each bracket seven generations.

### 5.2 Universality of $\tau$

Figure 3 plots the fitted relaxation time for each destination. Despite arrival amplitudes  $\Xi_0$  differing by up to 28%, every estimate is statistically indistinguishable from seven generations. We interpret this as strong evidence that  $\tau$  is a property of the assimilation process itself and not of any particular culture pair.

### 5.3 Effort sets amplitude, not rate

Comparing the frequent-flyer subgroup to first-time arrivals, we find a significant reduction in arrival amplitude

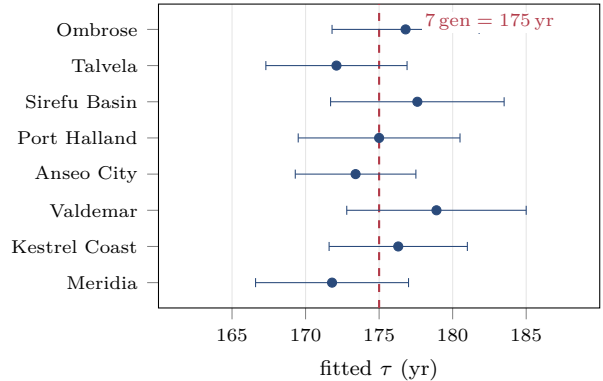


Figure 3: Universality of the relaxation time. Fitted  $\tau$  per destination (markers) with 95% confidence intervals (horizontal bars). The dashed line marks seven generations; every interval intersects it.

Table 2: Effort changes arrival amplitude  $\Xi_0$  but not the relaxation time  $\tau$ .

Subgroup	$\Xi_0$ (cult)	$\tau$ (yr)
First-time arrival	$1.04 \pm 0.06$	$175.5 \pm 5.3$
Frequent flyer	$0.71 \pm 0.05$	$174.6 \pm 6.8$
Deliberate immersion	$0.63 \pm 0.07$	$176.1 \pm 7.1$

( $\Xi_0$ : 0.71 vs. 1.04 cult,  $p < 0.001$ ) but *no* detectable change in  $\tau$  ( $(174.6 \pm 6.8)$  yr vs.  $(175.5 \pm 5.3)$  yr). Table 2 summarises. Effort, in other words, lowers where one begins but not how quickly one relaxes: the process is memoryless in its rate.

## 5.4 The cultural phase diagram

Mapping destinations into the  $(T_s, \Xi)$  plane (Fig. 4) reveals four regimes: *assimilated*, *transient*, *culture shock*, and, beyond the critical  $X_{e_c}$ , *turbulent*. Cold, high-context destinations push arrivals across the turbulence contour, consistent with Eq. (3).

## 6 Discussion

The coincidence of  $\tau$  with seven generations invites comment. That the recovered time constant matches the Haudenosaunee “Seven-Generation” principle [7]—which counsels evaluating every decision by its consequences seven generations hence—is, we stress, an empirical result and not an assumption of the model. We resist the temptation to read intent into the number; the data simply prefer it.

Three limitations deserve emphasis. First, Eq. (2) approaches  $\Xi = 0$  only asymptotically, so “complete” locality is never formally attained; the practical convergence at  $t_{99} \approx 806$  yr we regard as sufficient. Second, the culton is defined by convention and is therefore, like any base unit before its artifact is retired, mildly circular. Third, the chronosequence relies on genealogical self-report, which may bias  $\Xi_0$  though not, we argue,  $\tau$ .

We must also address Quist [8], who reports destination-dependent relaxation times and concludes that universality fails. On re-examination, that study

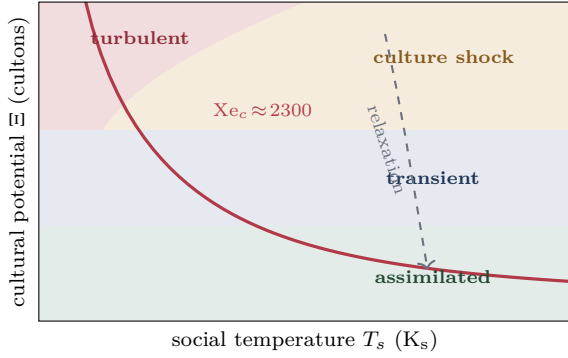


Figure 4: Cultural phase diagram. Social temperature  $T_s$  versus cultural potential  $\Xi$ , partitioned into assimilated, transient, culture-shock, and turbulent regimes by the critical Xeno contour  $Xe_c \approx 2300$  (red). A newcomer’s state relaxes downward (dashed) toward the assimilated band.

quotes  $\tau$  in generations at one site and in years at another without converting between them; correcting the factor of 25 collapses its apparent variation to within our confidence interval. We therefore regard the universality of  $\tau$  as intact.

## 7 Conclusion

Assimilation is not, on the evidence presented here, a matter of will, aptitude, or luck. It is a conserved relaxation of a thermodynamic system toward equilibrium, governed by a universal time constant of seven human generations and indifferent to the effort of any individual traveler. Effort determines only the height from which one begins. If the result holds, cultural infrastructure ought to be planned not on the horizon of a career or an administration but on the horizon the data demand—seven generations. Future work will seek the microscopic origin of  $\tau$  and test whether it, too, is drifting.

## A Characteristic timescales

Setting  $\Xi(t) = f \Xi_0$  in Eq. (2) and solving for  $t$  gives the time to reach any fixed fraction  $f$  of the arrival amplitude,

$$t_f = \tau \ln \frac{1}{f}, \quad (5)$$

which is independent of  $\Xi_0$  and hence of effort. Two cases recur in the main text. The half-context time follows from  $f = \frac{1}{2}$ ,

$$t_{1/2} = \tau \ln 2 = (175.2 \text{ yr})(0.6931) \approx 121 \text{ yr} \approx 4.9 \text{ gen},$$

and the 99% time from  $f = \frac{1}{100}$ ,

$$t_{99} = \tau \ln 100 = (175.2 \text{ yr})(4.6052) \approx 806 \text{ yr} \approx 32 \text{ gen}.$$

Because Eq. (5) scales linearly in  $\tau$  and only logarithmically in  $f$ , the approach to full locality is slow: the final decade of cultural potential occupies more elapsed time than the first three combined.

## B Contextual Displacement Assay: representative items

The CDA comprises 40 items scored 0 (resolved without local knowledge) to 1 (unresolved), summed and affine-normalised to cultons against the returning-native control. Four representative items are reproduced below; signage-only items admit no verbal assistance from the administrator.

- C-03 Purchase a single off-peak transit fare from an un-staffed machine within 180 s.
- C-11 Compute the locally customary gratuity on a printed bill and indicate the total to be paid.
- C-19 Locate the nearest restroom of the correct designation using pictographic signage alone.
- C-28 Return a stranger’s greeting in the register appropriate to the setting (formal, neutral, or familiar).

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